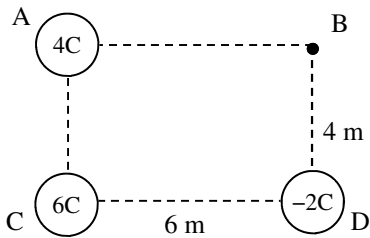


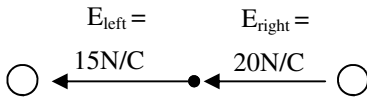
Cover up the answers on the right side of the page.



1. Three charges are situated as shown at the left.
 - A. What produces the net electric field at point B?
 - B. What produces the net electric field at point D?
 - C. Set up the equation for the electric field at point C from point A (don't solve):
 - D. Simplify your expression.
 - E. Calculate "r" for the electric field at point B due to point C.
 - F. What is the direction of E_{net} at point C (roughly)?
 - G. If the 6C charge was fixed and the others could be moved, would the 4C or -2C be harder to remove and why?

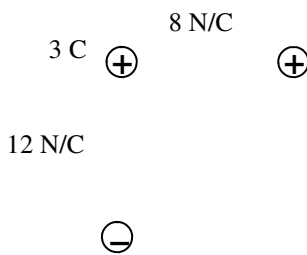
1.
 - A. The charges at A, C, and D (the 3 charges)
 - B. Charges at A and C
 - C. $E = k \frac{4}{4^2}$
 - D. $E = k/4$
 - E. Pyth theorem using 4 and 6.
 - F. 4th Q
 - G. -2C it is attracted to the other ones. The 4C feels repulsion, so would be easy to remove.

2. What are the two ways you could increase the electric field emanating from a charge?



3. Two unknown charges are fixed (can't move). The electric fields due to these charges are shown.
 - A. Label the signs of the charges in the circles.
 - B. If the two charges have equal magnitudes, how is it that the right electric field is stronger?

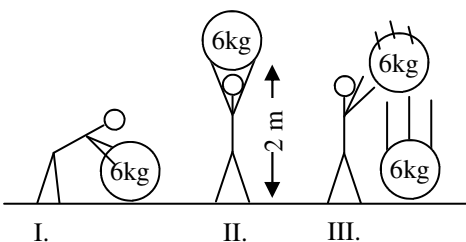
2. increase q or decrease r
- 3A. Neg on left (pull)
Pos on right (push)
- 3B. closer
- 3C. 35 N/C to the left or at 180°



4. The individual electric fields shown are on the 3 C charge.
 - A. Draw the directions of the electric fields.
 - B. Calculate the magnitude and direction of the net electric field on the 3 C charge.

- 4A. Neg pulls, + pushes, so $E_{net} = 3rdQ$
- 4B. Pyth theor of 8 and 12 for mag = 14.4 N/C
Inv tan of $-12/-8 = 56.3^\circ$.
But $+180^\circ$ for 3rdQ = 236.3°
- 4C. N/C times C = N
So, $14.4(3) = 43.2$ N at 236.3°

5. Ever eager, Slim Jim helps us with an energy demo.

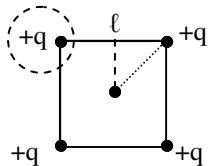


- A. How energy does the ball have in picture I?
- B. What kind of energy does the ball have in picture II?
- C. How much energy does the ball have in picture II?
- D. How much work what necessary to lift the ball up?
- E. How much kinetic energy does the ball have just before it hits the ground?
- F. How fast is the ball moving at the ground?
- G. So the amount of potential energy equals the amount of _____ done on it and equals the amount of _____ after it is let go.

- 5A. none
- 5B. PE (U)
- 5C. 120 J
- 5D. 120 J
- 5E. 120 J
- 5F. $Mgh = \frac{1}{2}mv^2 = v = 6.3$ m/s
- 5G. Work, KE

And this is the same for electrostatics: the PE gained by a charge equals the W done to get the charge to a position and equals the KE it will have if released.

The following is to help you with the bonus question on the test (which is still a long way off). Everyone should be able to do Parts A and E. The rest is more challenging and optional.



- A. Draw the direction of E_{net} at the upper left hand corner.
- B. What is the length of the dashed vertical line (from the top line to the center)?
- C. Now that you have a right triangle, calculate the distance (r) from the center of the square to the corner.
- D. Write an expression for the electric field at the center due to one of the corner (and simplify).
- E. Calculate the net electric field at the center of the square.

1.A. 2nd Q (the other $+q$'s all push)

B. $\ell/2$

C.
$$r = \sqrt{\left(\frac{\ell}{2}\right)^2 + \left(\frac{\ell}{2}\right)^2}$$

$$r = \sqrt{2\left(\frac{\ell}{2}\right)^2} = \frac{\ell}{2}\sqrt{2}$$

D.

$$E = \frac{kq}{\left(\frac{\ell}{2}\sqrt{2}\right)^2} = \frac{kq}{\left(\frac{2\ell^2}{4}\right)}$$

$$E = \frac{kq}{\left(\frac{\ell^2}{2}\right)} = \frac{2kq}{\ell^2}$$

E. 0 N/C (by symmetry). They all push, so they all cancel.